

46.38 A fluid with a kinematic viscosity of 3centistokes and a specific gravity of 0.88 flows through a nominal 3in pipe at 4fps . What is the Reynolds number?

- A. 32,000
- B. 104,000
- C. 380,000
- D. 3,700,000

Reynolds Number is a function of velocity, diameter, and kinematic viscosity. Specific gravity has no bearing on Reynolds number.

$$Re = \frac{vD}{\nu}$$

The kinematic viscosity has been given in cSt which is best converted to $\frac{ft^2}{s}$ since the problem is otherwise specified in US Customary units. Use the table **Measurement Relationships** to find the relevant conversion factors from cSt to $\frac{m^2}{s}$ and from $meters$ to ft . Substitute directly into the Reynolds number formula and solve. Use the table **Schedule 40 Steel Pipe** to look up the internal diameter of a nominal 3in pipe.

$$Re = \frac{\left(4\frac{ft}{s}\right)\left(\frac{3.068}{12}ft\right)}{\left(3cSt\right)\left(\frac{1\times 10^{-6}\frac{m^2}{s}}{1cSt}\right)\left(\frac{3.281ft}{1m}\right)^2} = 31,666$$

Answer A

46.39 What is the quality of 1300psia steam produced by a boiler that adds $600 \frac{Btu}{lb}$ to $250^\circ F$ saturated liquid feedwater?

- A. 0.22
- B. 0.39
- C. 0.61
- D. 0.78

Consider the feedwater as State 1 and the saturated mixture leaving the boiler as State 2. Use the [Properties of Saturated Water and Steam](#) table by temperature to obtain the enthalpy at State 1.

$$T_1 = 250^\circ F \text{ (saturated)}$$

$$h_1 = h_f = 218.6 \frac{Btu}{lb}$$

Calculate the enthalpy at State 2 by accounting for the heat added by the boiler.

$$\Delta h = h_2 - h_1 = 600 \frac{Btu}{lb}$$

$$h_2 = h_1 + 600 \frac{Btu}{lb} = 218.6 \frac{Btu}{lb} + 600 \frac{Btu}{lb} = 818.6 \frac{Btu}{lb}$$

Use the steam table by pressure to obtain the enthalpy values h_f and h_{fg} at 1300psia. Then calculate the quality at State 2.

$$P_2 = 1300psia$$

$$h_f = 585.6 \frac{Btu}{lb}$$

$$h_{fg} = 593.9 \frac{Btu}{lb}$$

$$\chi_2 = \frac{h_2 - h_f}{h_{fg}} = \frac{818.6 \frac{Btu}{lb} - 585.6 \frac{Btu}{lb}}{593.9 \frac{Btu}{lb}} = 0.39$$

Answer B