

is  $3dB$ , it can be inferred that the background noise is not as loud at the machinery, as combining two  $40dB$  sources would result in a combined level of only  $43dB$ . Therefore, the machinery must be louder.

Test values for the machinery between  $41dB$  and  $45dB$ .

$$SPL_{machinery} = 41dB \rightarrow Difference = 1dB \rightarrow Combined SPL = 41dB + 3dB = 44dB \neq 46dB$$

$$SPL_{machinery} = 42dB \rightarrow Difference = 2dB \rightarrow Combined SPL = 42dB + 2dB = 44dB \neq 46dB$$

$$SPL_{machinery} = 43dB \rightarrow Difference = 3dB \rightarrow Combined SPL = 43dB + 2dB = 45dB \neq 46dB$$

$$SPL_{machinery} = 44dB \rightarrow Difference = 4dB \rightarrow Combined SPL = 44dB + 2dB = 46dB = 46dB$$

$$SPL_{machinery} = 45dB \rightarrow Difference = 5dB \rightarrow Combined SPL = 45dB + 1dB = 46dB = 46dB$$

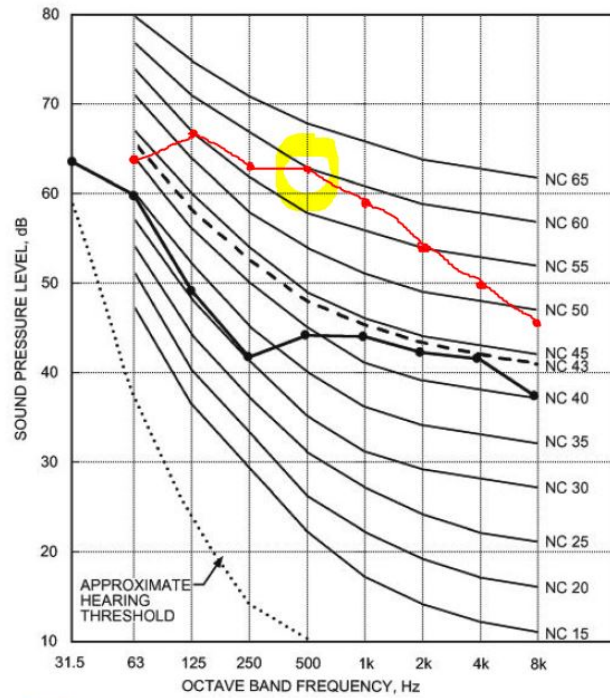
Note there are two viable answer choices,  $44dB$  and  $45dB$ . However, only  $45dB$  is an answer choice.

**Answer D**

**45.5 The octave band measurements of a fan are:  $63Hz$ ,  $64dB$ ;  $125Hz$ ,  $67dB$ ;  $250Hz$ ,  $63dB$ ;  $500Hz$ ,  $63dB$ ;  $1000Hz$ ,  $59dB$ ;  $2000Hz$ ,  $54dB$ ;  $4000Hz$ ,  $50dB$ ;  $8000Hz$ ,  $46dB$ . What is the NC rating?**

- A. NC-45
- B. NC-50
- C. NC-55
- D. NC-60

Refer to the **Noise Criteria** curves and use the figure to plot the sound pressure level in  $dB$  for each octave band frequency. The NC rating is the lowest curve which all measured values fall below.



**Fig. 7** NC (Noise Criteria) Curves and Sample Spectrum (Curve with Symbols)

In this case, the worst case octave band is the 500Hz frequency, and the rating is NC-60.

**Answer D**

**45.6** A  $5000lb_m$  machine rotates at  $1800rpm$  and is mounted on vibration isolators with a combined stiffness of  $40,000 \frac{lb_f}{in}$ . In parallel with the springs, a damper has been included. The damping ratio is 0.3. An unbalanced force of  $2000lb_f$  is caused by the machine. What is the maximum force transmitted through the base?

- A.  $550lb_f$
- B.  $950lb_f$
- C.  $1050lb_f$
- D.  $1450lb_f$

Start by finding the natural frequency of the machine which is a function of the total combined spring stiffness and the mass. Note that  $g_c$  must be included to make the units consistent.

$$\omega_n = \sqrt{\frac{kg_c}{m}} = \sqrt{\frac{\left(40,000 \frac{lb_f}{in}\right) \left(12 \frac{in}{ft}\right) \left(32.2 \frac{lb_m \cdot ft}{lb_f \cdot s^2}\right)}{5,000lb_m}} = 55.6 \frac{rad}{s}$$